

Memory Management

Types of Memory Management

- Fixed Partitioning
- Dynamic Partitioning
- Paging
- Segmentation
- Segmentation with Paging

Fixed Partitioning

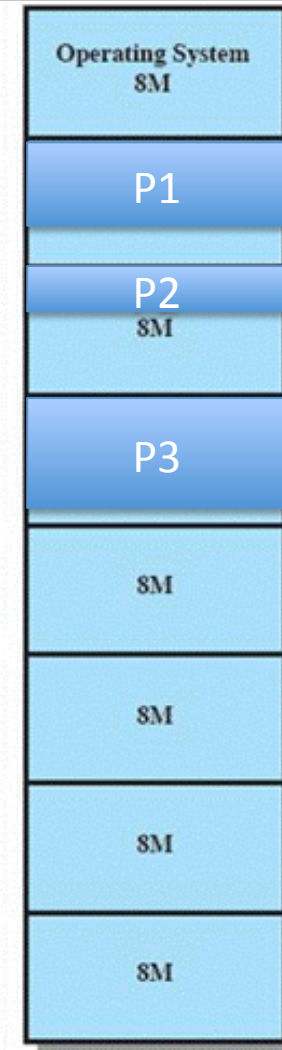
- Equal-size partitions
 - Any process whose size is less than or equal to the partition size can be loaded into an available partition



(a) Equal-size partitions

Fixed Partitioning

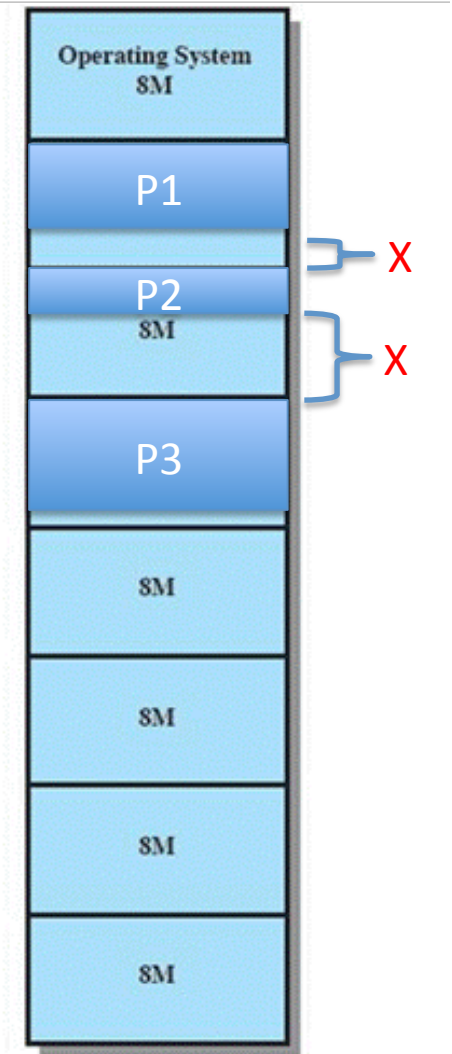
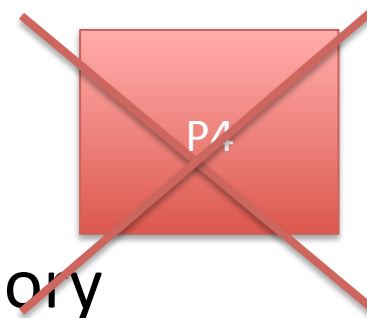
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(a) Equal-size partitions

Fixed Partitioning

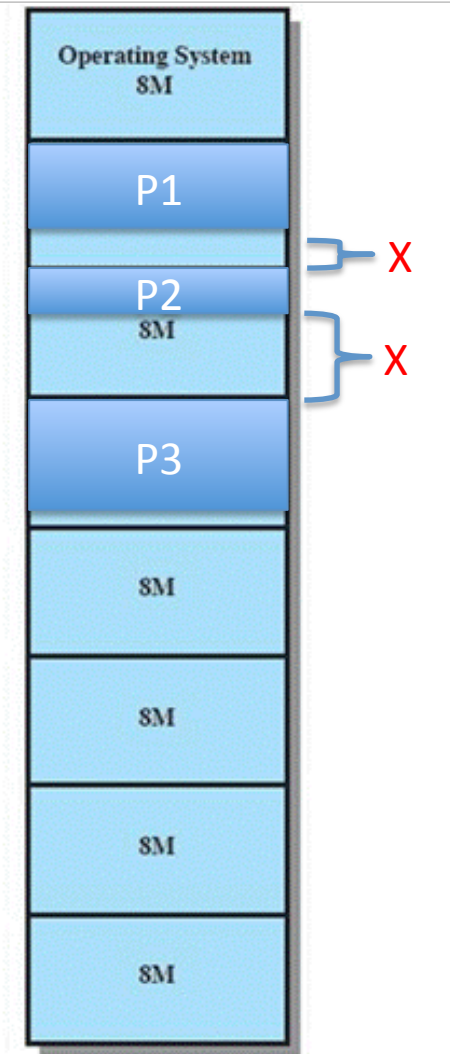
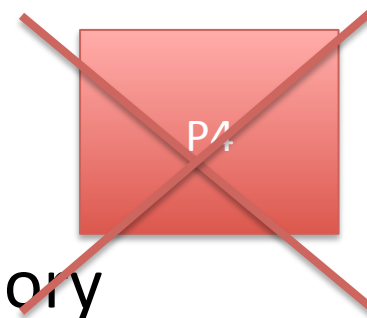
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 - Any process whose size is less than or equal to the partition size can be loaded into an available partition
- Problems
 - Large process can't fit
 - Small process wastes memory
 - *Internal fragmentation*



(a) Equal-size partitions

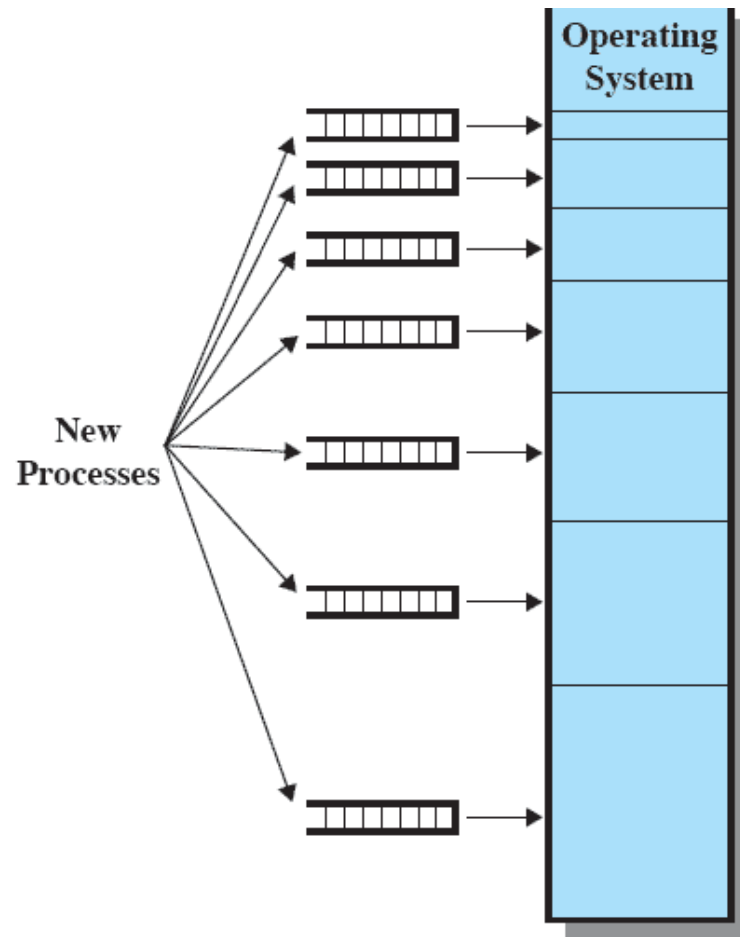
Fixed Partitioning

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 - Large process can't fit
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 - *Internal fragmentation*

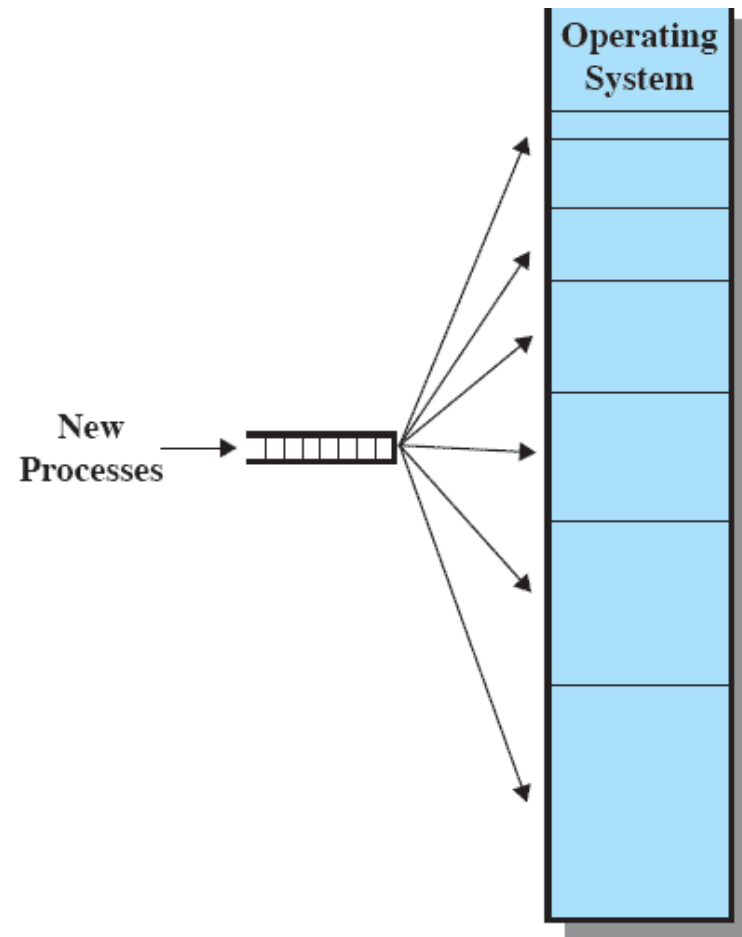


(a) Equal-size partitions

Varied-Size Fixed Partitioning



(a) One process queue per partition



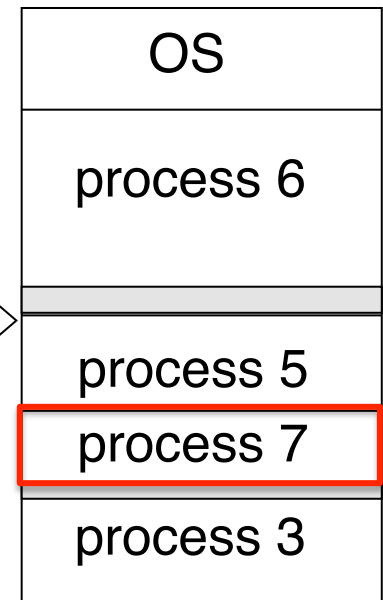
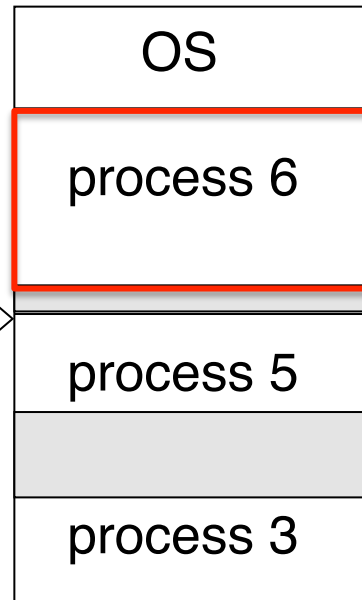
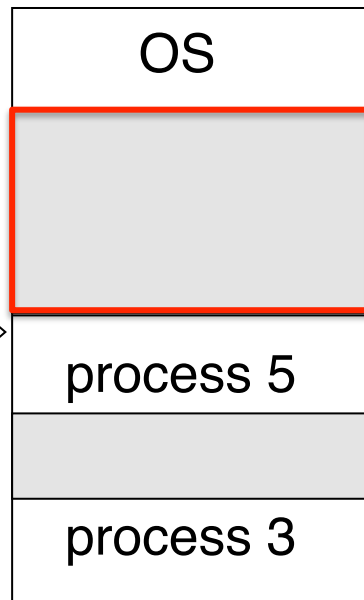
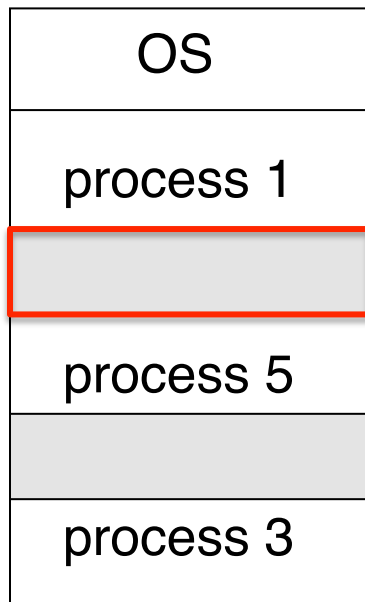
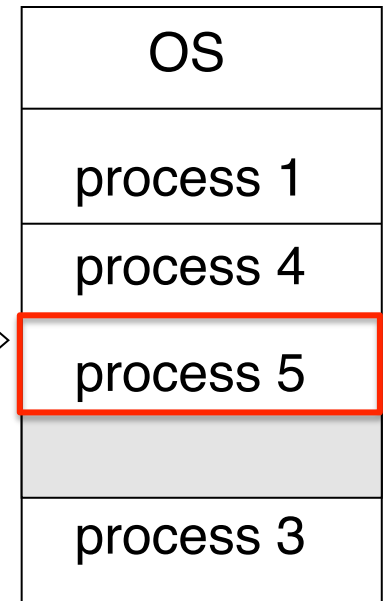
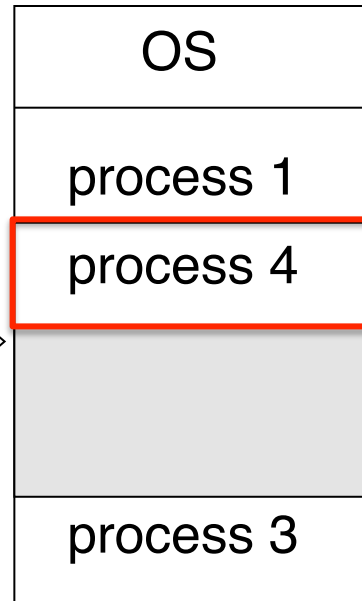
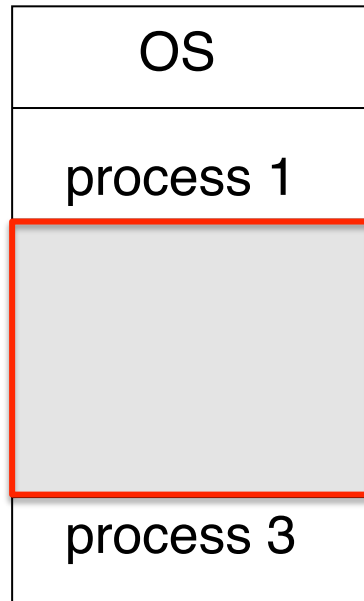
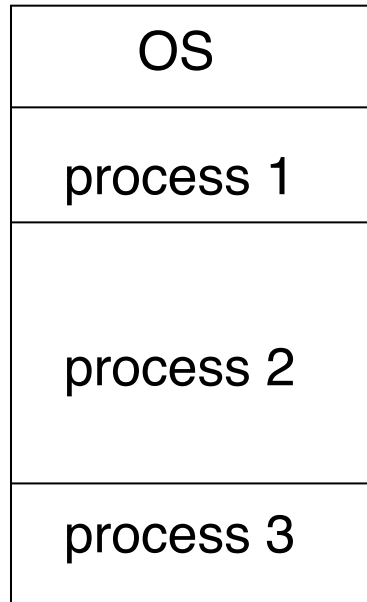
(b) Single queue

Problems with Fixed Partitions

- The **number of active processes** is **limited** by the system (to the pre-determined number of partitions)
- A large number of very small process will **not use space efficiently**
- Solutions?

Dynamic Partitioning

- Partitions are of variable length and number
- Process is allocated as much as required
- OS decides which free block to allocate



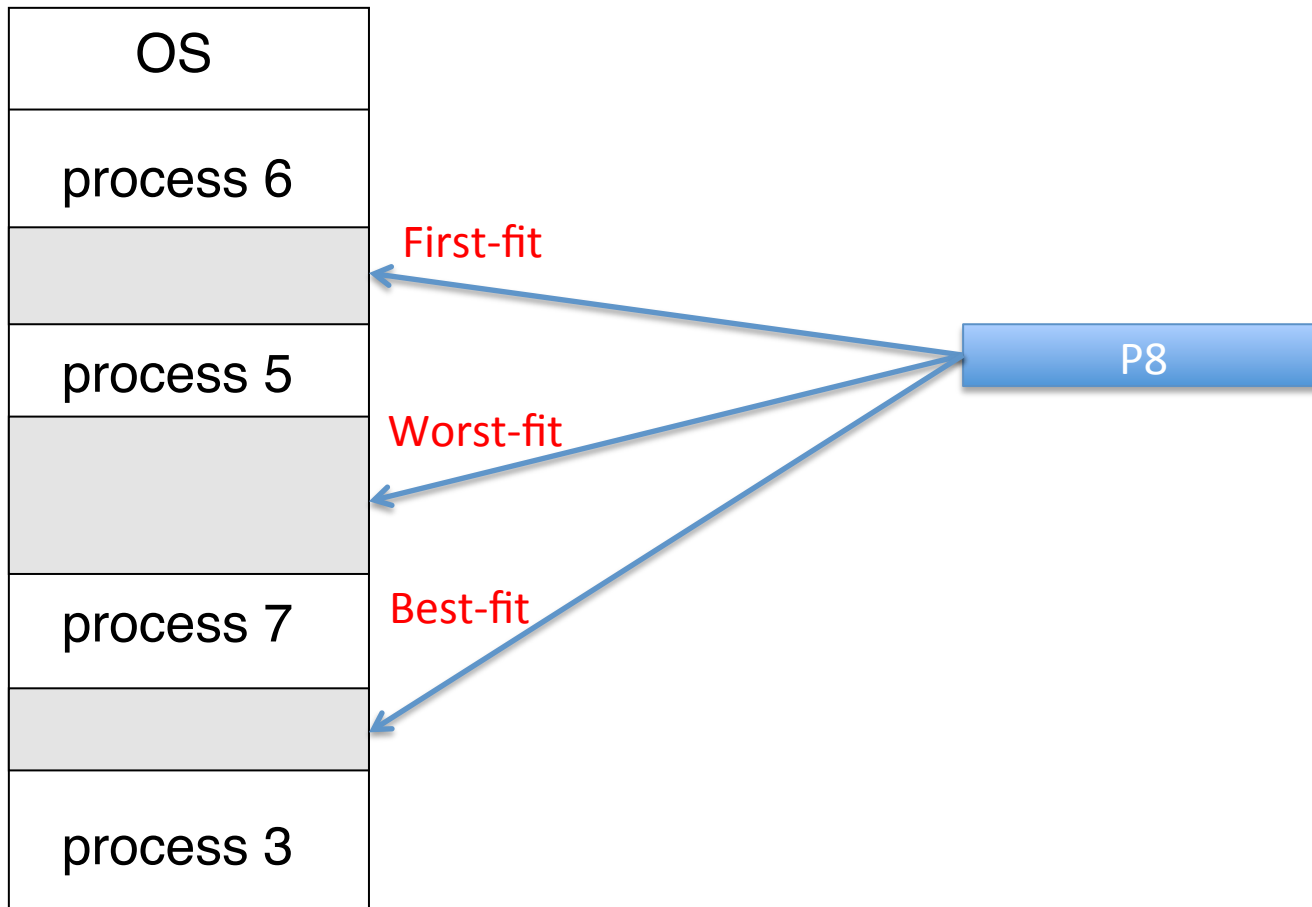
Allocation Strategy

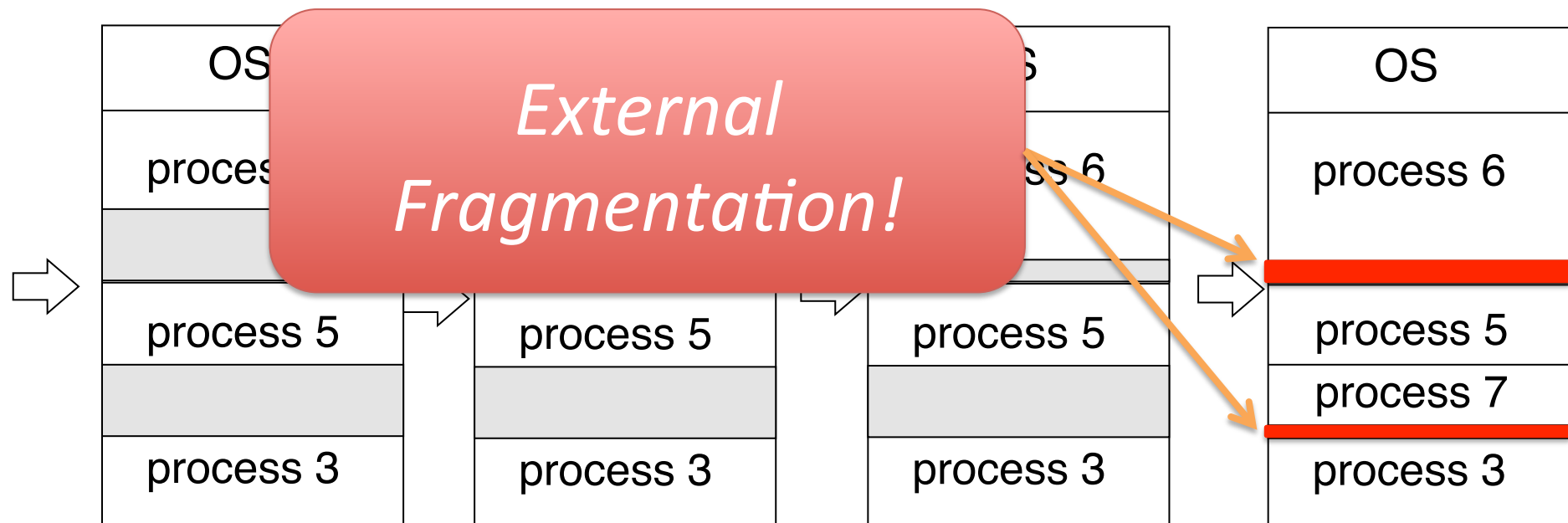
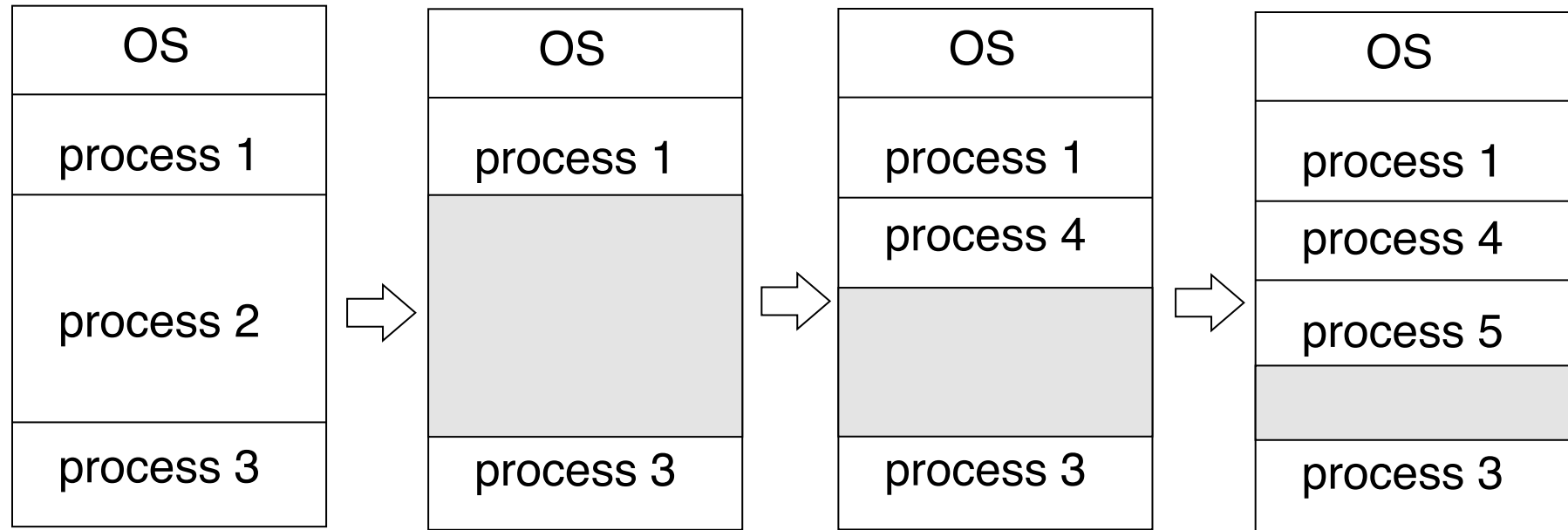
How to satisfy a request of size n from a list of free holes?

- **First-fit**: Allocate the *first* hole that is big enough
- **Best-fit**: Allocate the *smallest* hole that is big enough; must search entire list, unless ordered by size
 - Produces the smallest leftover hole
- **Worst-fit**: Allocate the *largest* hole; must also search entire list
 - Produces the largest leftover hole

First-fit and best-fit better than worst-fit in terms of speed and storage utilization

Allocation Strategy





Dynamic Partitioning Example



- ***External Fragmentation***
 - Memory external to all processes is fragmented
- ***Compaction***
 - OS moves processes so that they are contiguous
 - Time consuming and wastes CPU time

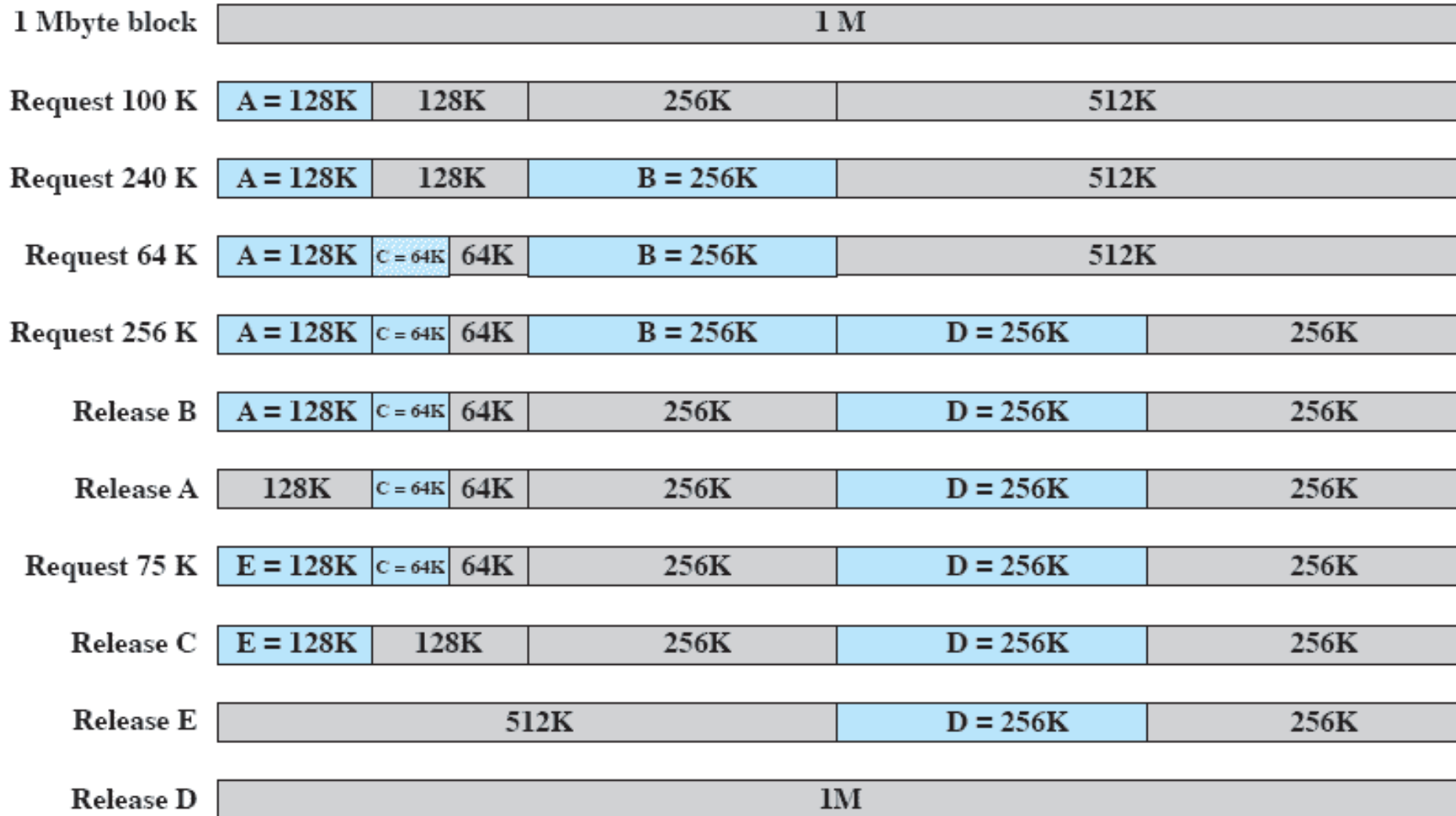
Fragmentation

- **External Fragmentation** – total free memory is enough for new process, but it is not contiguous
- **Internal Fragmentation** – allocated memory to a process but never used
- *Fixed partitioning has only internal frag.*
- *Dynamic partitioning has only external frag.*
- First fit has 50-percent rule
 - given N blocks allocated, $0.5 N$ blocks lost to external fragmentation
 - Memory utilization = $2/3$

Buddy System

- For allocation of a process
 - Divide the free memory block into two blocks
 - until it best fits to the block
- For deallocation of a process
 - Merge the freed block with buddy block
 - buddy block
 - The other block when it was divided into two
- Has both internal/external fragmentations

Example of Buddy System



Tree Representation of Buddy System

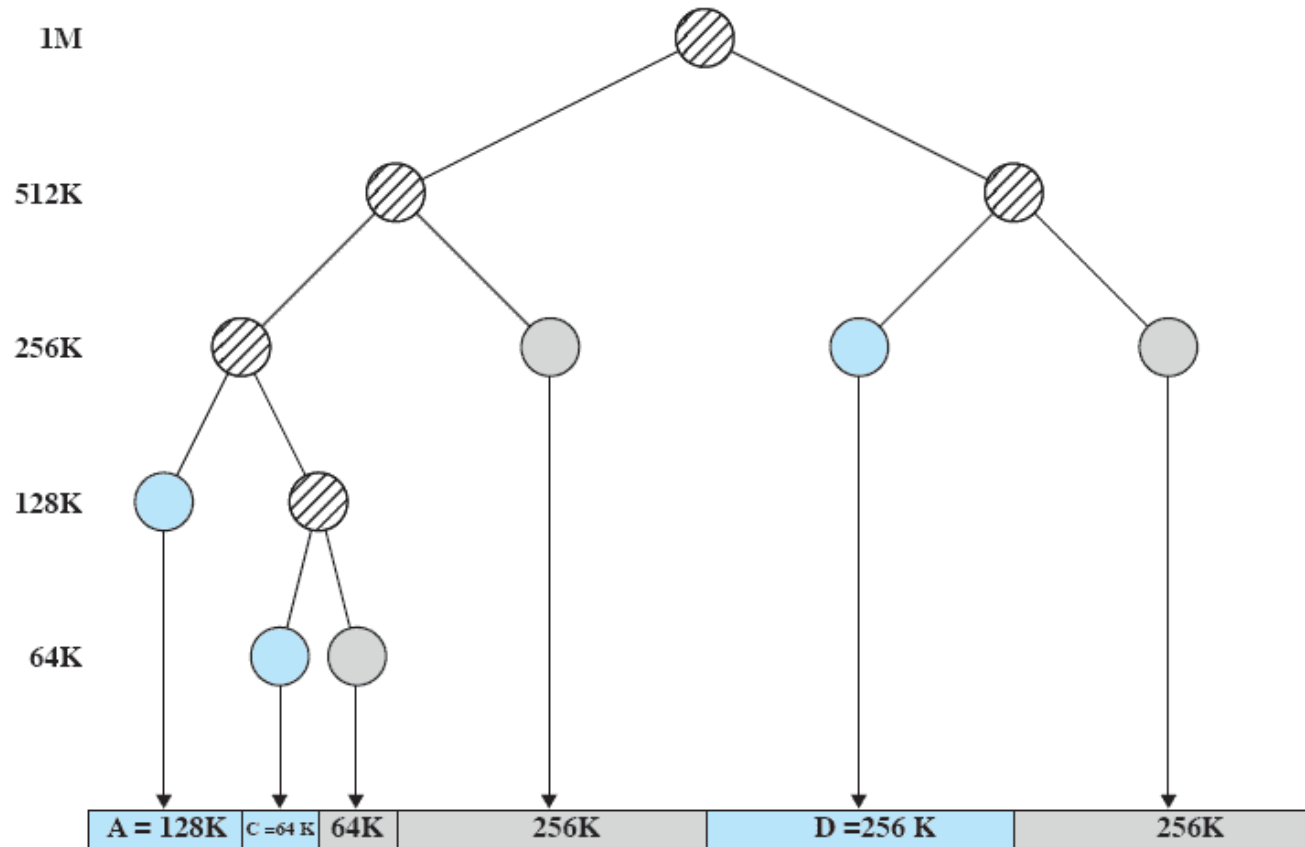


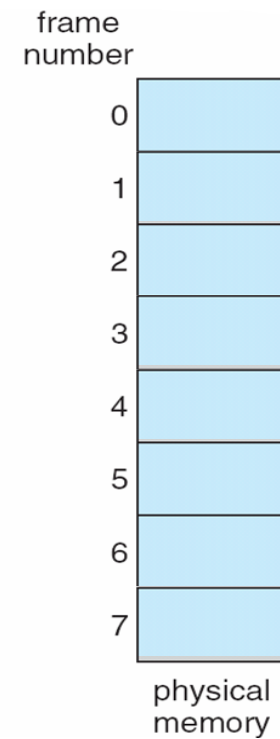
Figure 7.7 Tree Representation of Buddy System

Paging

- Goal
 - No external fragmentation problem
 - Efficient memory sharing
 - Flexible memory use
- Idea
 - Divide a process into multiple fragments
 - Allocation each fragment anywhere
 - Maintain where the fragments are

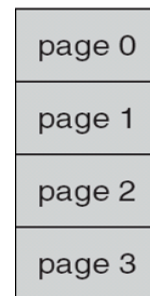
Paging

- Partition physical memory into equal size **frames**

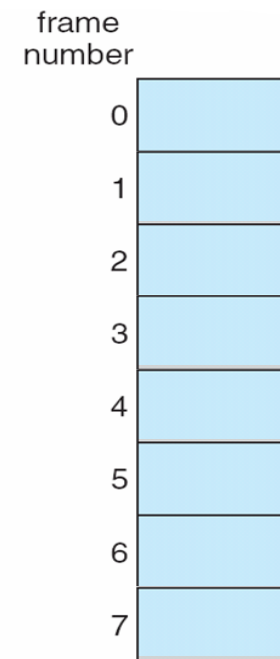


Paging

- Partition physical memory into equal size **frames**
- Divide logical memory into same-size **pages**



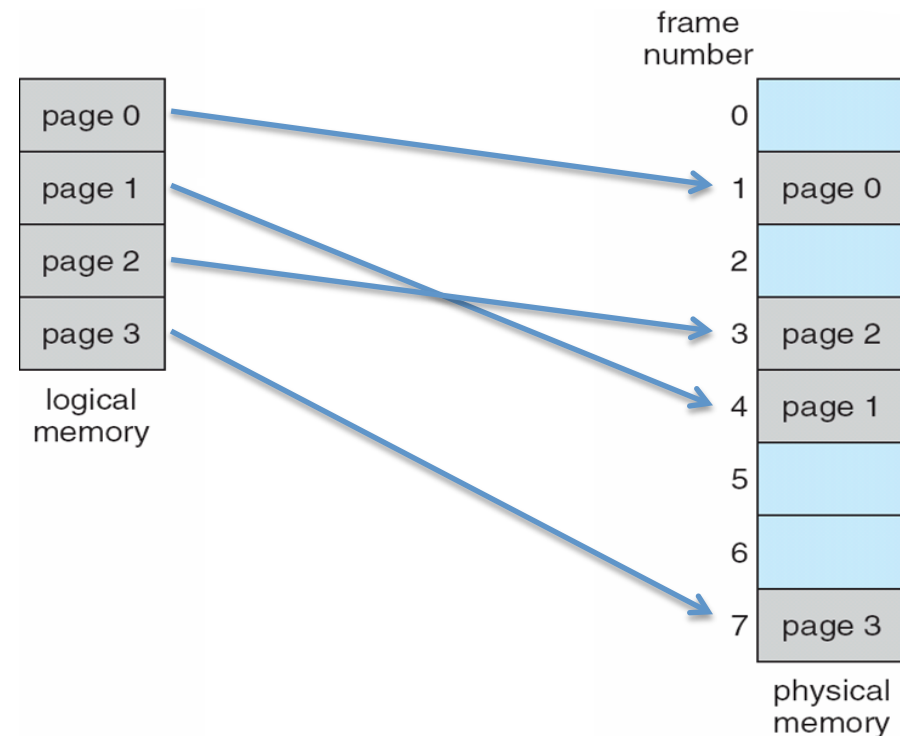
logical
memory



physical
memory

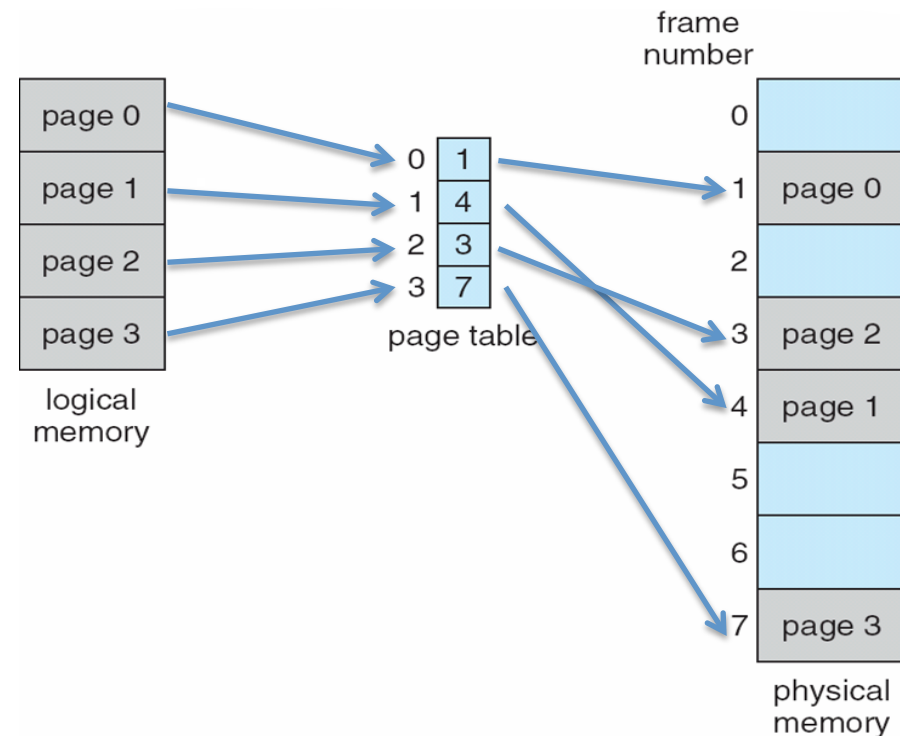
Paging

- Partition physical memory into equal size **frames**
- Divide logical memory into same-size **pages**
- Each page can go to any free frame



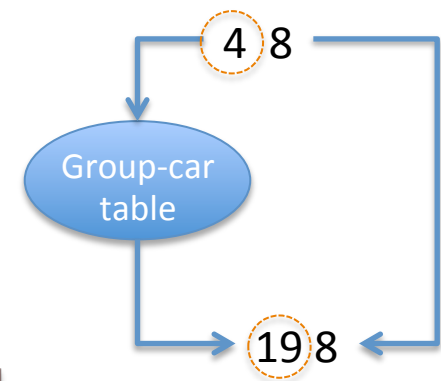
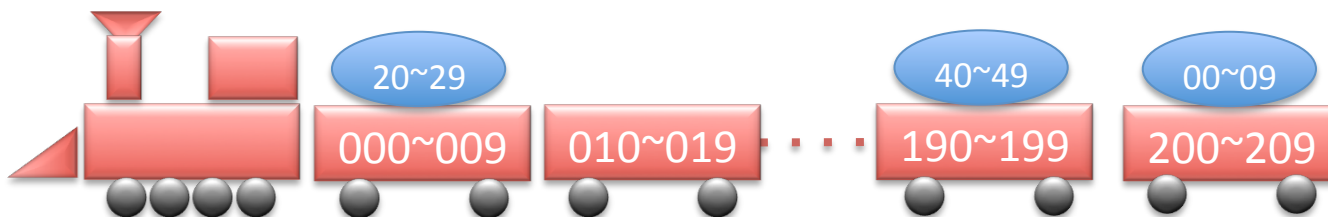
Paging

- Partition physical memory into equal size **frames**
- Divide logical memory into same-size **pages**
- Each page can go to any free frame
- OS knows the mapping
 - **page table**



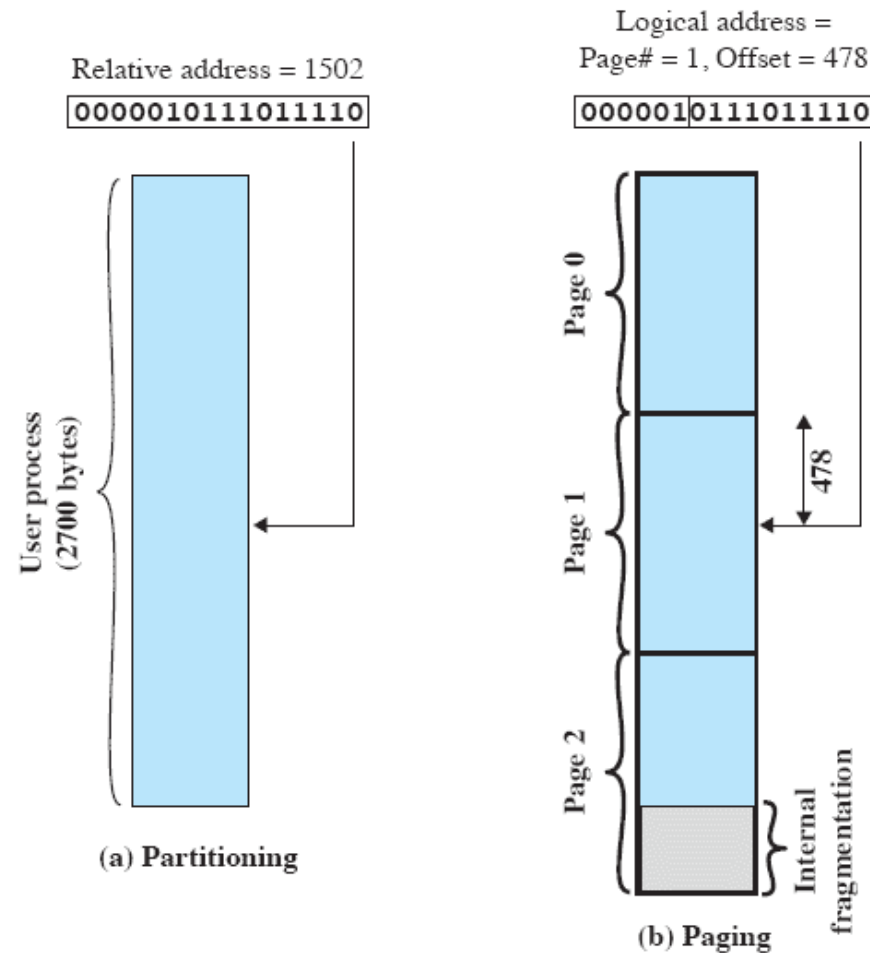
Addressing with Paging

- Analogy
 - We have 100 students, from 00 to 99
 - 10 groups: 00~09 (group 0), 10~19 (group 1), 20~29 (g2), ...
 - Ride on a train with 100 cars, 10 people on each
 - Each group on the same car
 - Mapping table: which group on which car
 - $Car(group)$ ex: $Car(4) = 19$
 - Where is student 48?
 - $48 \rightarrow (Car(4)=19, 8) = 198$

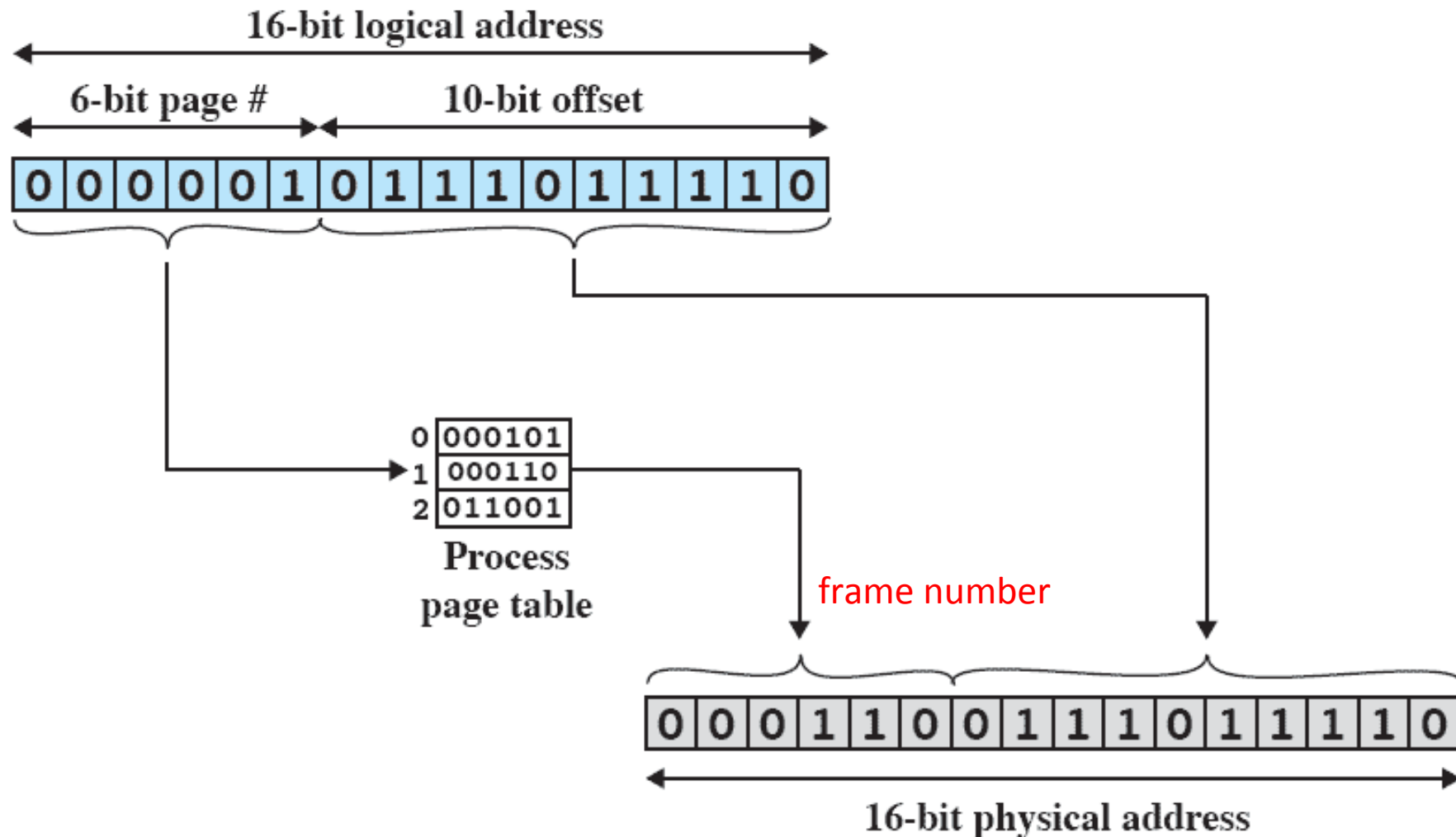


Paging: Logical Addresses

- 16-bit address, page size $1K=2^{10}$, first 6 bit=page #, last 10bit = offset



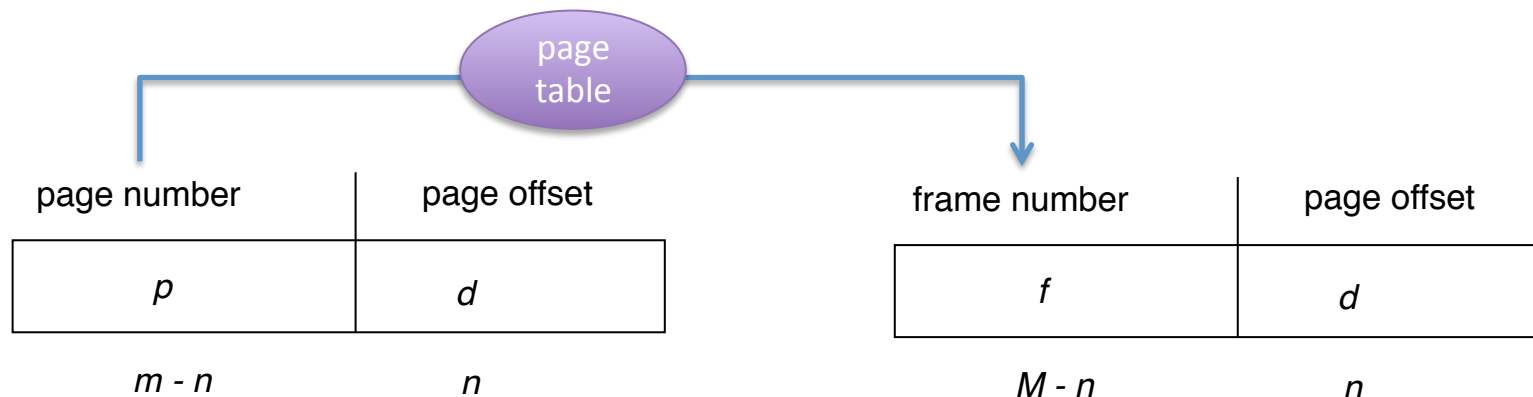
Paging: Logical to Physical Address



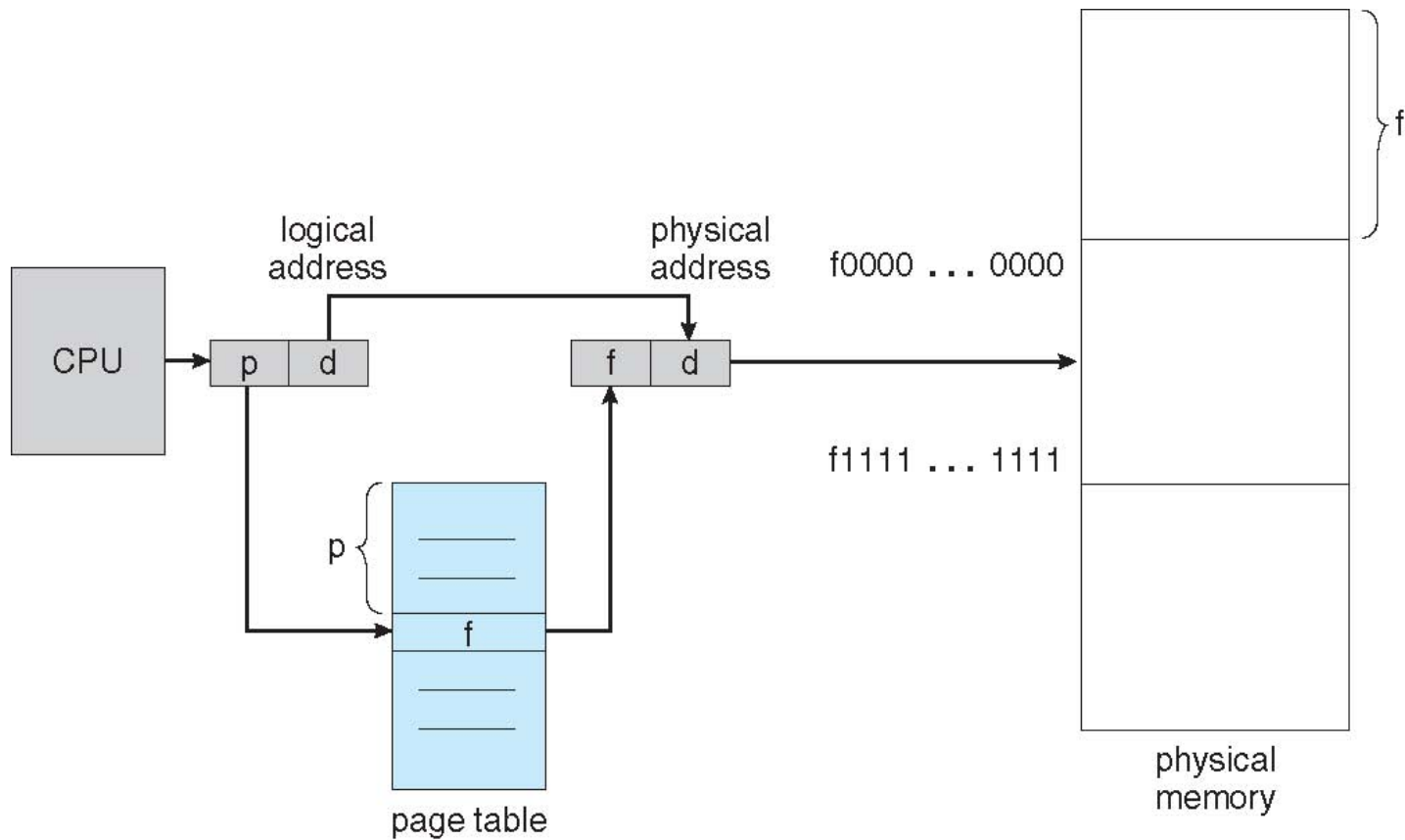
(a) Paging

Address Translation Scheme

- Address generated by CPU is divided into:
 - **Page number (p)**
 - index into a **page table** = (page #, frame #)
 - **Page offset (d)**
 - offset within the page (frame)
 - Given m bits logical address, page size 2^n
 - last n bit = offset = $0 \sim 2^n - 1$
 - first $m - n$ bit = page number = $0 \sim 2^{m-n} - 1$
 - page table translates: page no \rightarrow frame no ($M - n$ bits)
 - $M \geq m$



Paging Hardware



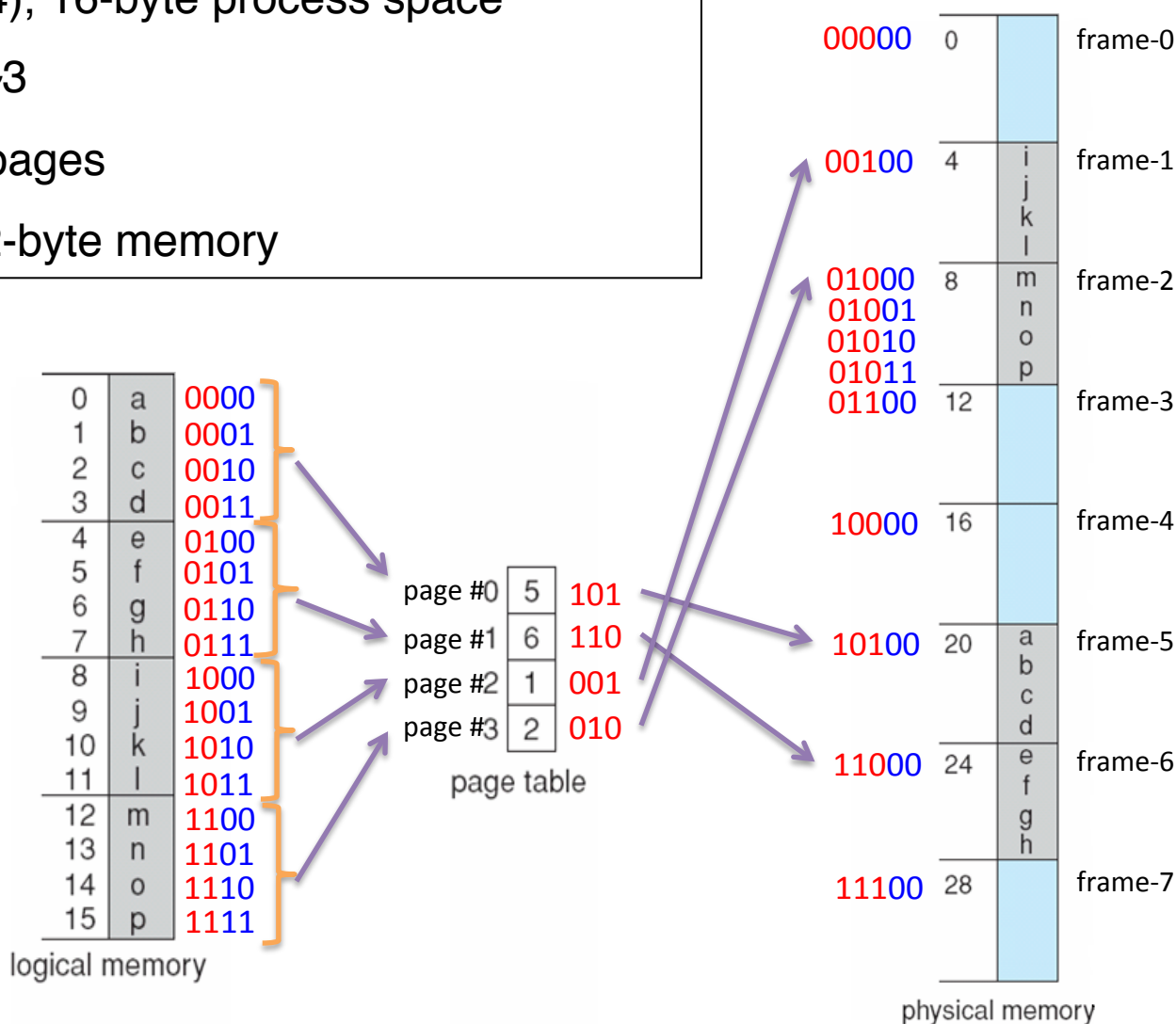
Paging Example

4-bit logical address (m=4), 16-byte process space

2-bit page no (m-n=2), 0~3

2-bit offset (n=2), 4-byte pages

5-bit physical address, 32-byte memory



Paging Example

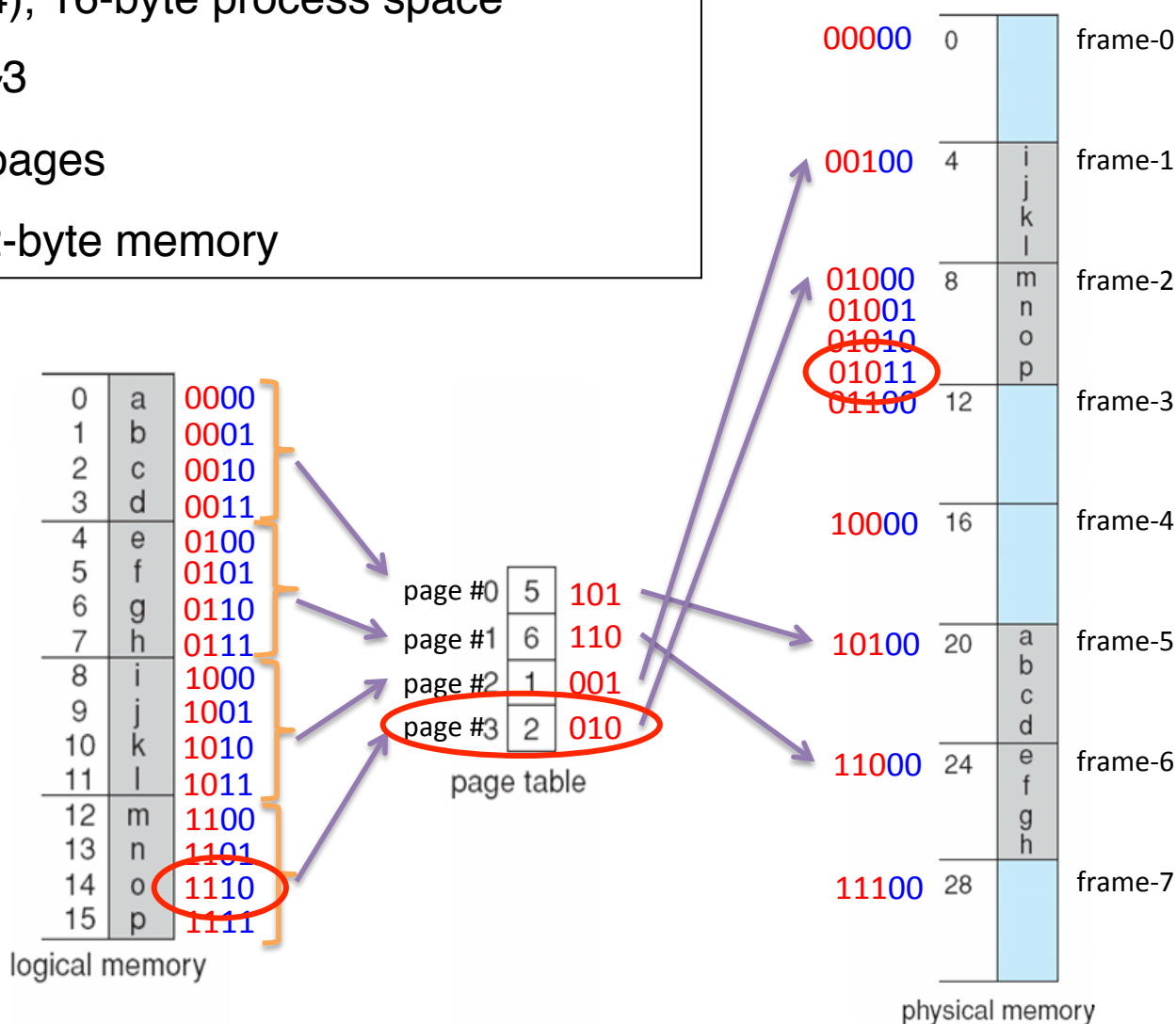
4-bit logical address (m=4), 16-byte process space

2-bit page no (m-n=2), 0~3

2-bit offset (n=2), 4-byte pages

5-bit physical address, 32-byte memory

Logical address **1110**
 → page **11**, offset **10**
 → frame **010**, offset **10**
 → Phys. addr. **01010**



Fragmentation in Paging

- Internal fragmentation
 - Page size = 2,048 bytes
 - Process size = 72,766 bytes
 - 35 pages + 1,086 bytes
 - Internal fragmentation = $2,048 - 1,086 = 962$ bytes
- Frame size & fragmentation
 - Internal fragmentation = 1 byte \sim (frame size – 1)
 - Average fragmentation = $1 / 2$ frame size
 - Small frame size better?
- Small frame size → Small internal fragmentation
→ Large page table
- Large frame size → Small page table
→ More internal fragmentation

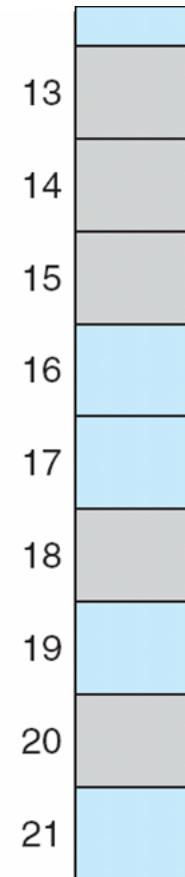
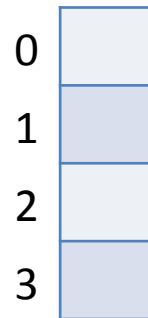
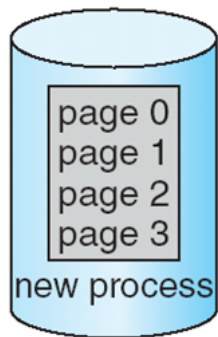
Quiz

Consider a simple paging system with the following parameters: 2^{32} bytes of physical memory; page size of 2^{10} bytes; 2^{16} pages of logical address space.

- How many bits are in a logical address?
- How many bytes in a frame?
- How many bits in the physical address specify the frame?
- How many entries in the page table?

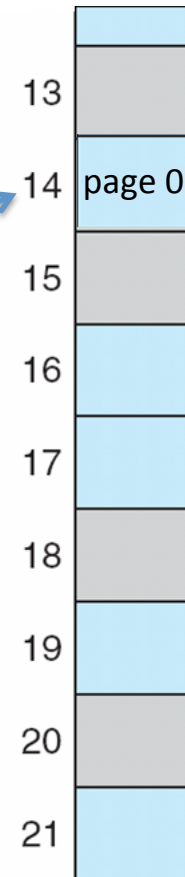
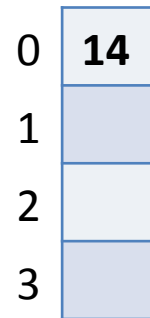
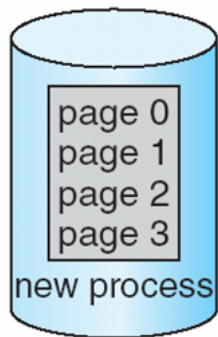
Allocation of Free Frames

Free frame list: 14→13→18→20→15→•



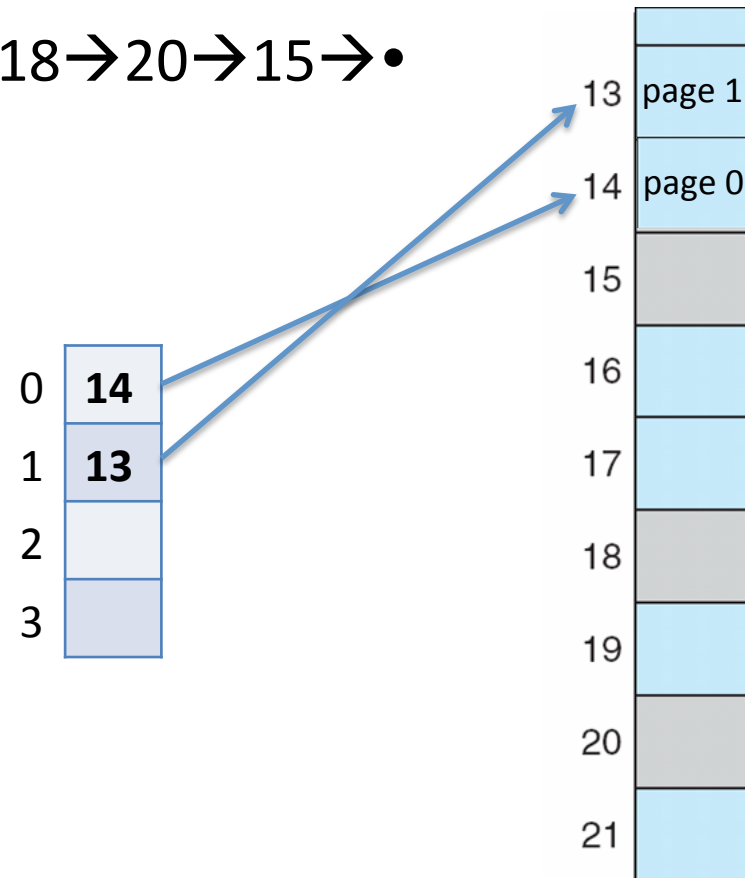
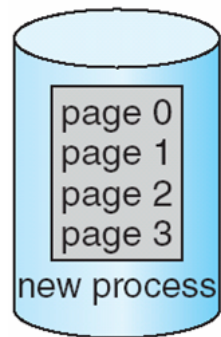
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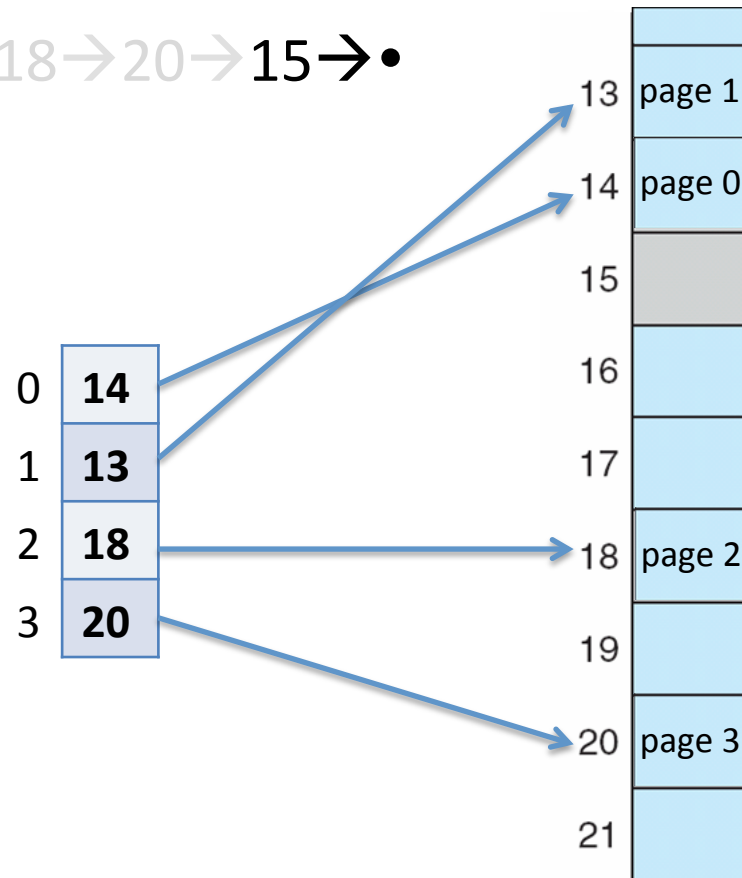
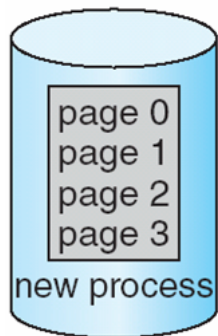
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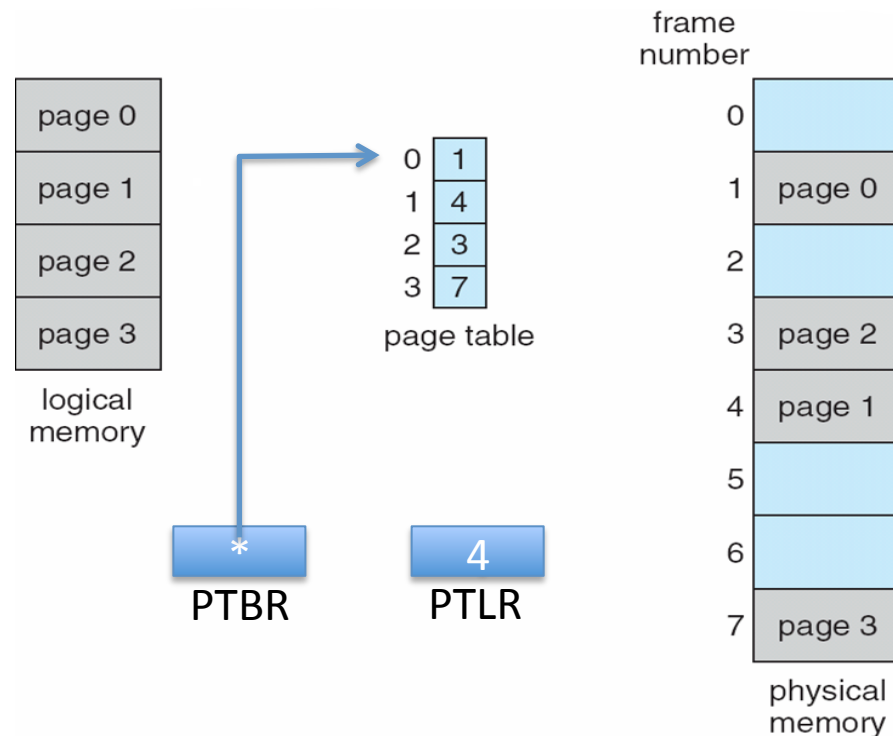
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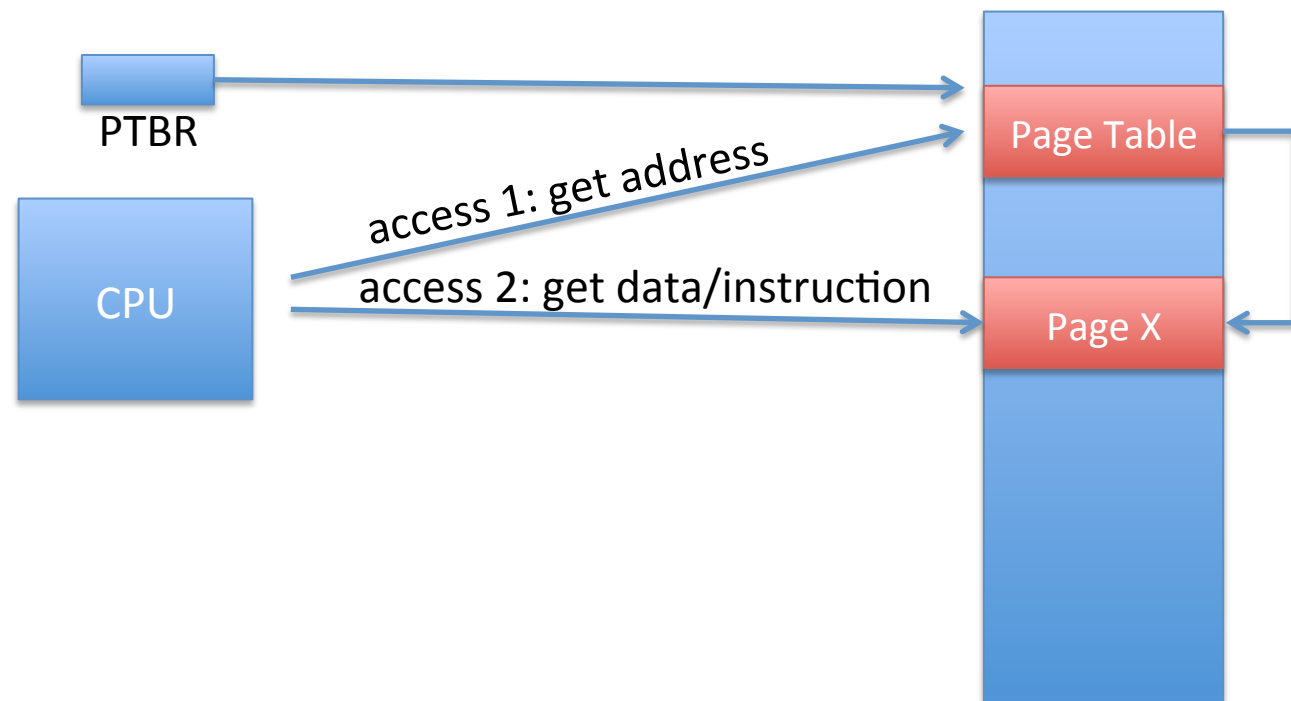
Implementation of Page Table

- Page table is kept in main memory
- **Page-table base register (PTBR)** points to the page table
- **Page-table length register (PTLR)** indicates size of the page table



Memory Access with Paging

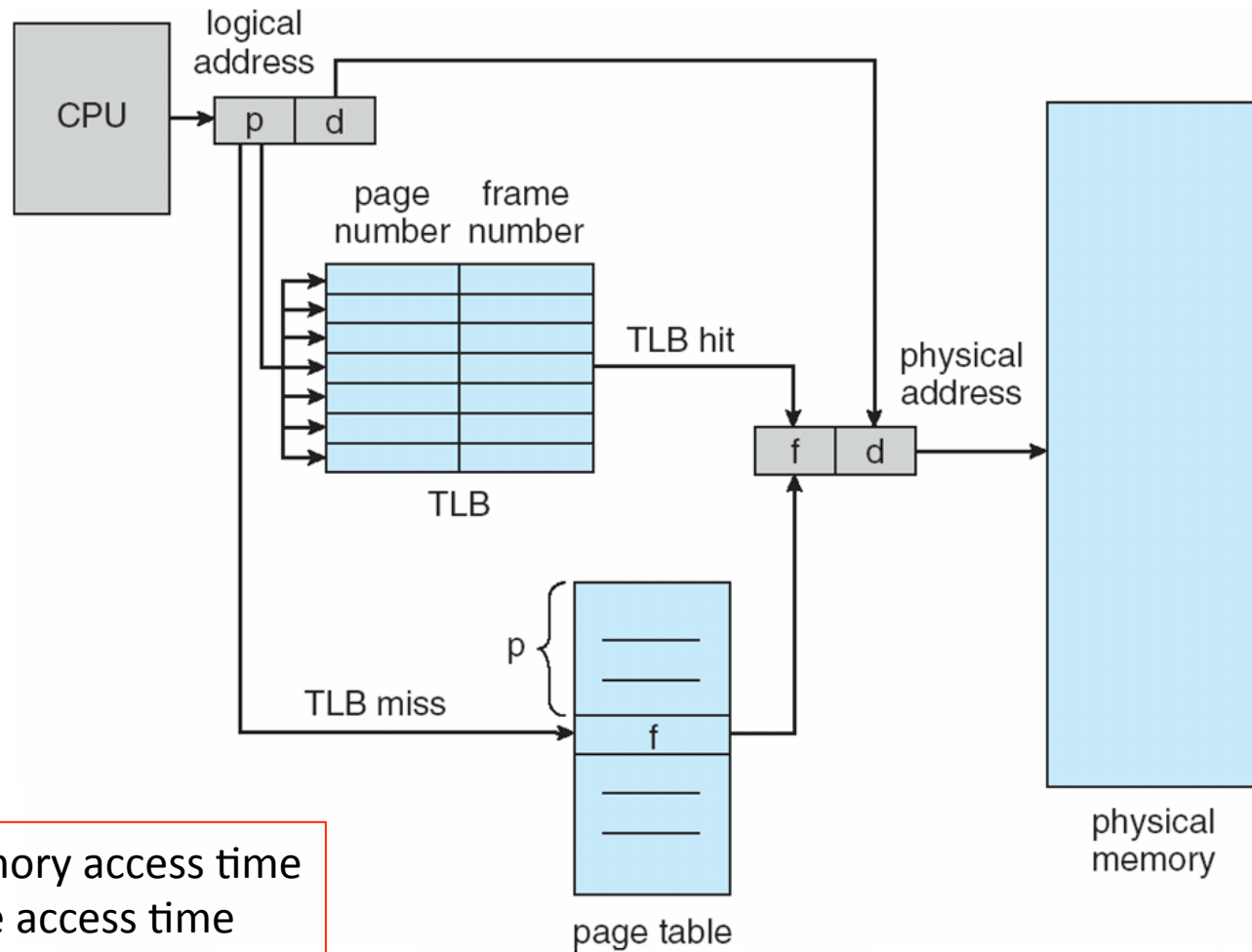
- With paging, every data/instruction access requires
 - 2 memory accesses
 - One for the page table and one for the data / instruction



Memory Access with Paging

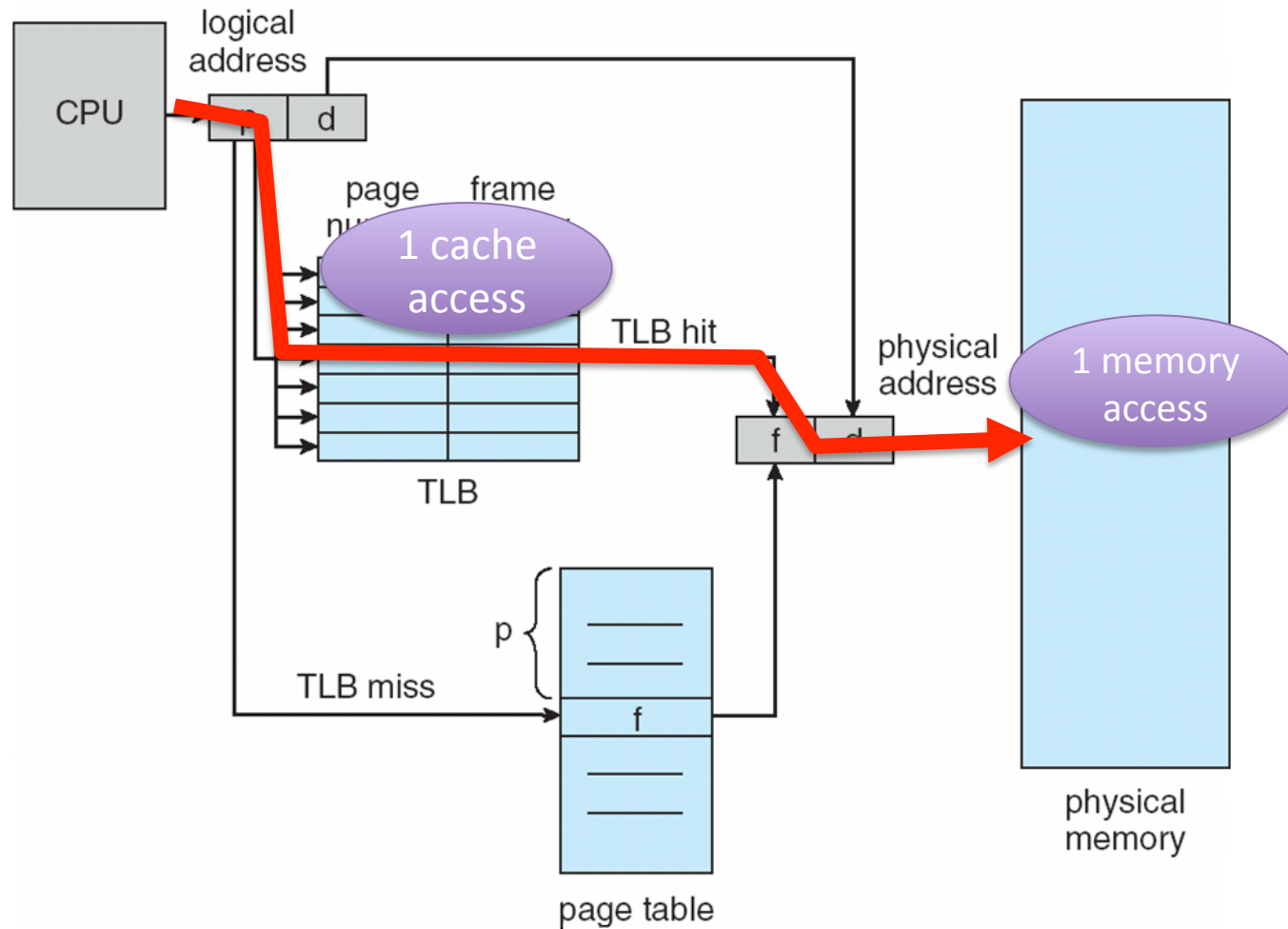
- Solution: **translation look-aside buffer**
 - a special fast-lookup hardware cache
 - **associative memory**
- **address-space identifiers (ASIDs)**
 - distinguish between entries of different processes
 - Otherwise need to flush at every context switch
- TLBs typically small (64 to 1,024 entries)
- Operation
 - Works like a cache
 - Replacement policies must be considered
 - Some entries can be **wired down** for permanent fast access

Paging With TLB



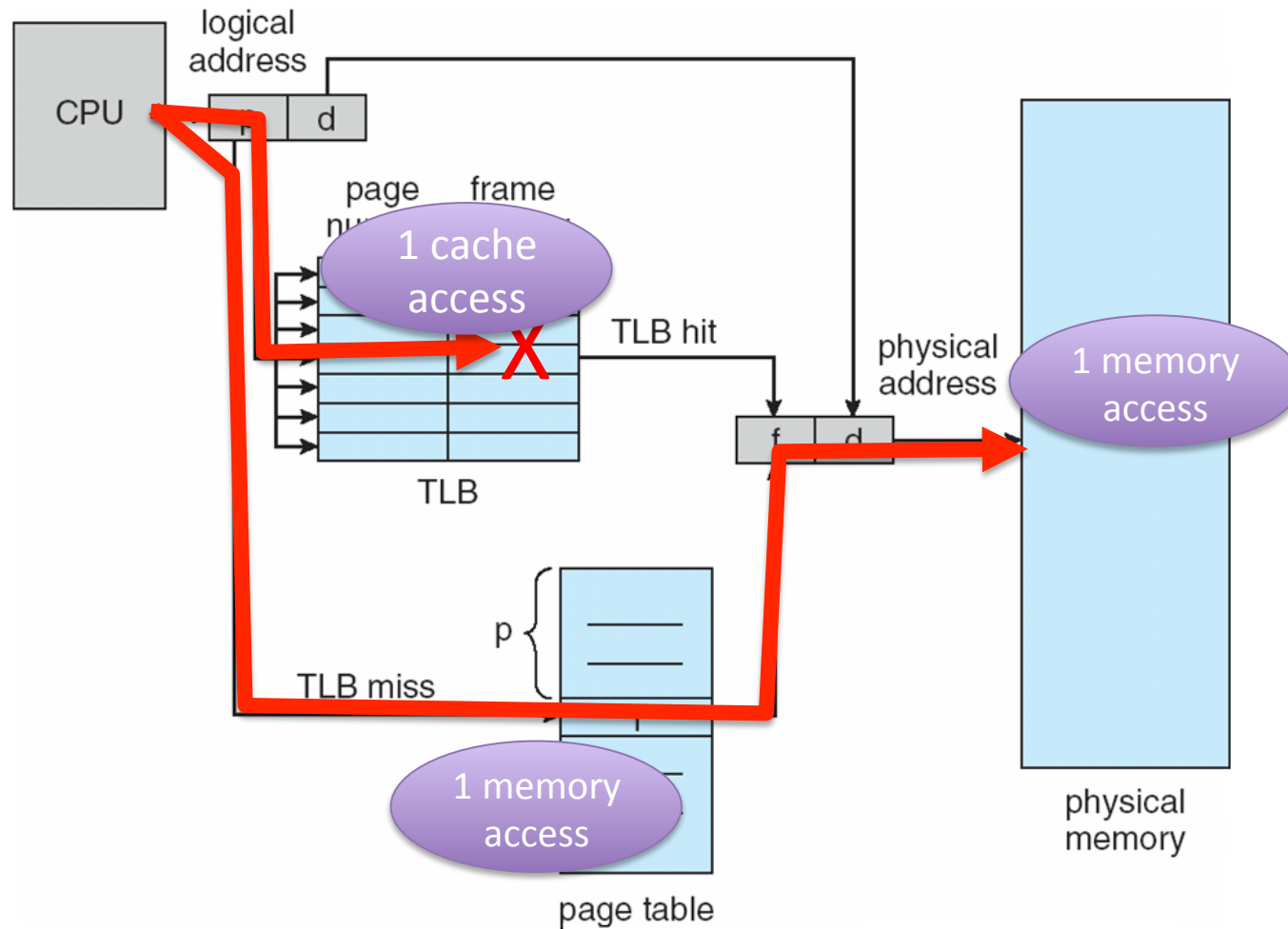
M: memory access time
e: cache access time
 $e \ll M$

Paging With TLB-hit



$$\text{Access time} = e + M$$

Paging With TLB-miss



$$\text{Access time} = e + 2M$$

Effective Access Time

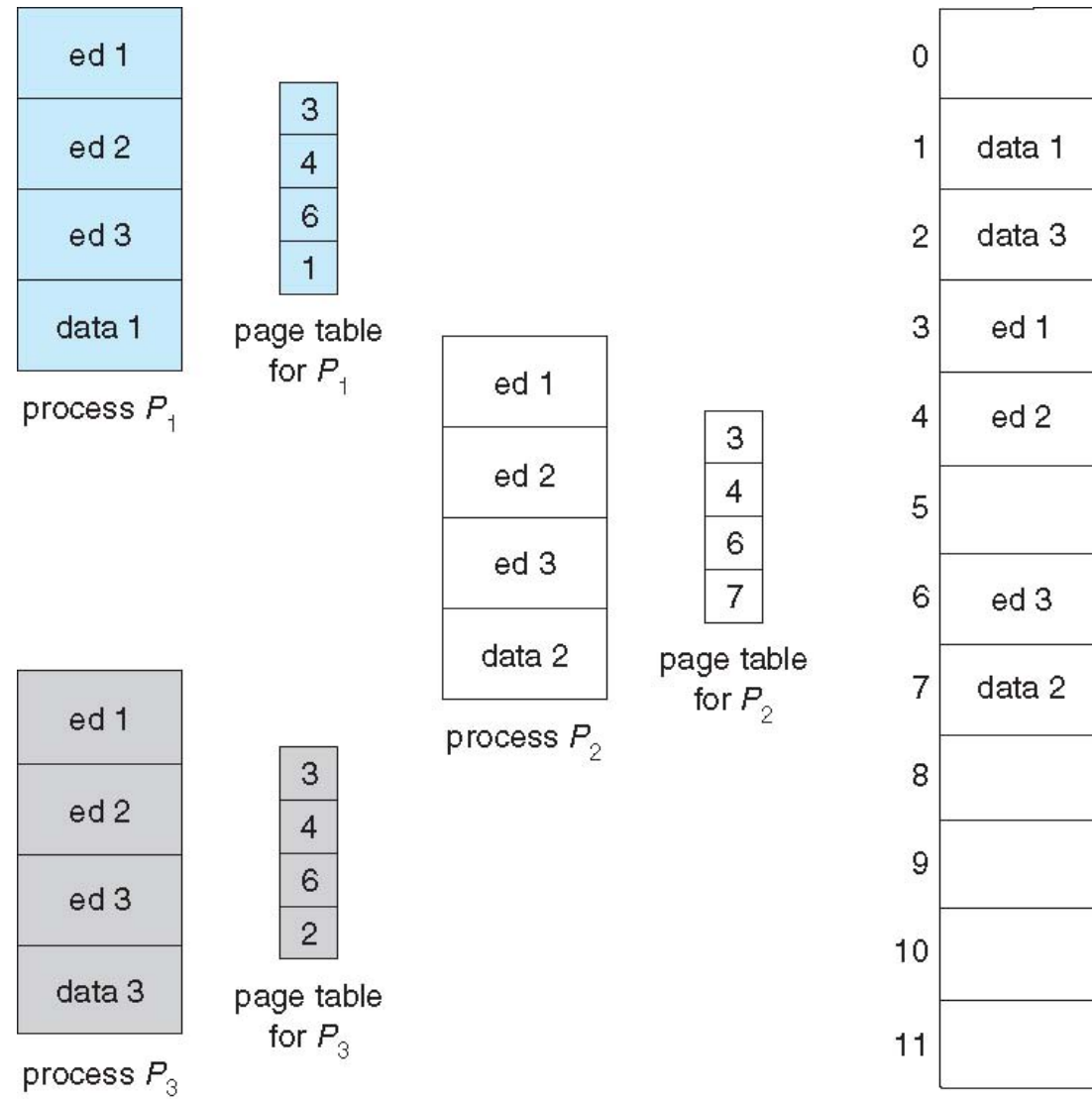
- Memory lookup = M time unit
- Associative Lookup = e time unit
 - Can be < 10% of memory access time
- Hit ratio = α
 - $0 < \alpha < 1$
- **Effective Access Time (EAT)**
$$\text{EAT} = (M + e) \alpha + (2M + e)(1 - \alpha)$$
$$= 2M + e - \alpha$$
- Consider $\alpha = 80\%$, $e = 20$ ns, $M = 100$ ns
 - $\text{EAT} = 0.80 \times 120 + 0.20 \times 220 = 140\text{ns}$

Shared Pages

- **Shared code**

- One copy of read-only (**reentrant**) code shared among processes (i.e., text editors, compilers, window systems)
- Also useful for interprocess communication if sharing of read-write pages is allowed

Shared Pages Example



Shared Pages Example

